

SIGHT REDUCTION with hav – Doniol method		Hc:
L: latitude	set: $n = \text{hav}(L - d)$	$\text{hav}(s2s) = n + (1 - q) * \text{hav}(LHA)$
d: declination	$p = \text{hav}(L + d)$	$Hc = 90^\circ - s2s$
LHA: Loc.Hour Angle	$q = p + n$	<i>s2s: ship-to-star distance</i>
Example:	$n = \text{hav}[10^\circ - (-40)^\circ] = .1786$	$\text{hav}(s2s) = .1786 + .7544 * .2500$
L = 10° (North)	$p = \text{hav}[10^\circ + (-40)^\circ] = .0670$	$= .3672$ <i>so, from table:</i>
d = -40° (South)	Q = .2456	s2s = 74°36
LHA = 60°	hav(LHA) = .2500	Hc = 15°24

set:	Azimuth Z:
$PD = 90^\circ - d$	$\text{hav}(Z) = [\text{hav}(PD) - N] / (1 - Q)$
$N = \text{hav}(L - Hc)$	$Q \sim 0 : = [\text{hav}(PD) - N] * (1 + Q)$
$P = \text{hav}(L + Hc)$	
$Q = P + N$	
$PD = 90^\circ - (-40)^\circ = 130^\circ !!$	$\text{hav}(PD) = .8214$
$N = \text{hav}(10^\circ - 15^\circ 24) = .0022$	$\text{hav}(Z) = (.8214 - .0022) / .9495$
$P = \text{hav}(10^\circ + 15^\circ 24) = .0483$	$= .8628$ <i>so, from table :</i>
$Q = .0505$	Z = 136°31; adjust: 180 - Z = 43°29

hav – DONIOL.xls/pdf

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